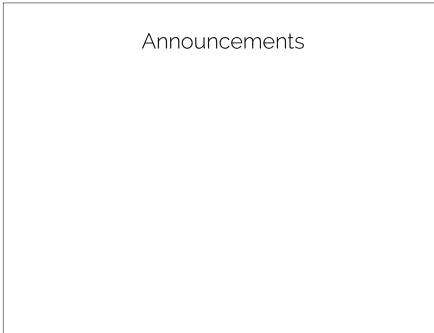
CSCI 334: Principles of Programming Languages

Lecture 14: Project Ideas / Evaluation

Instructor: Dan Barowy Williams

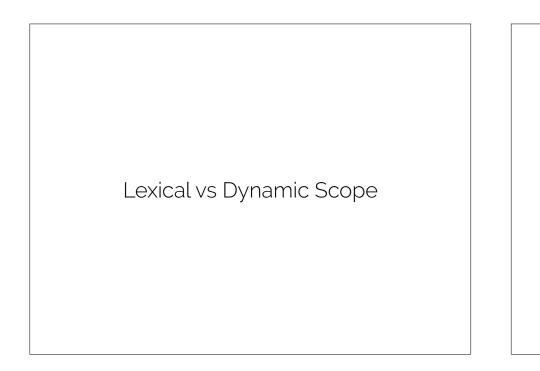


Announcements

No class Thursday

Example: brace language

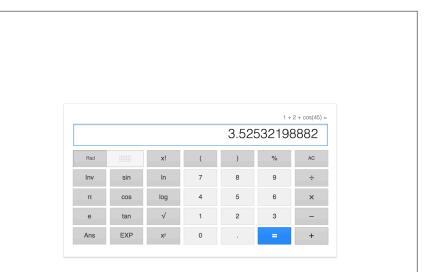
- An *expression* is a sequence of *terms*, consisting of *at least one term*.
- A *term* is either 'aaa', 'bbb', or a *brace expression*.
- A *brace expression* is '{', followed by an *expression*, followed by '}'.



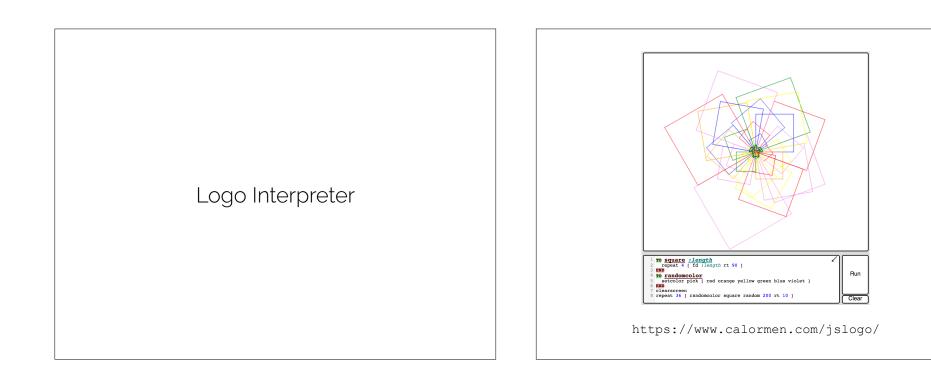
Inspiration for Projects

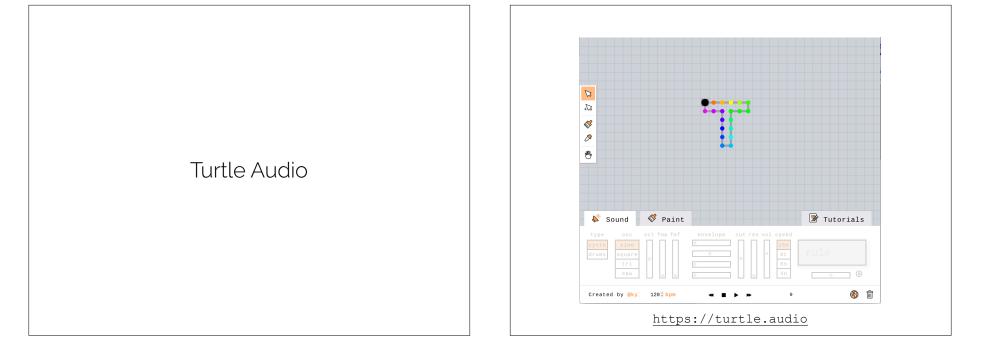
Scientific Calculator

(using infix expressions)

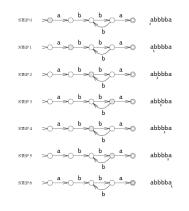


https://www.google.com/search?q=google+calculator





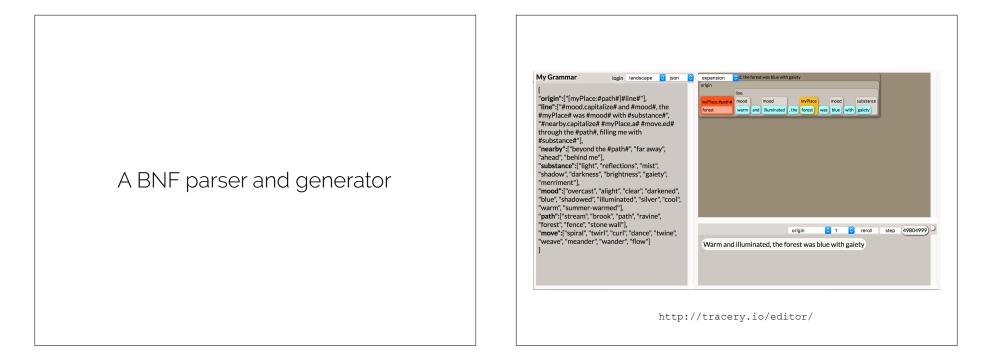


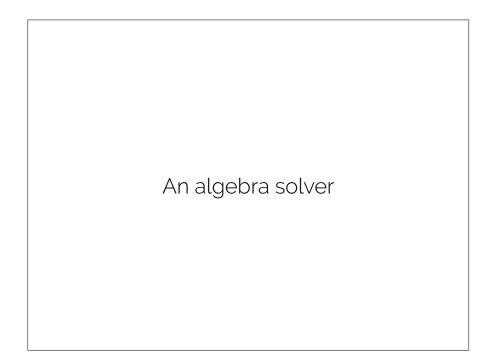


```
https://swtch.com/~rsc/regexp/regexp1.html
```



BASIC	<pre>IF PR(IPS,3)=1 THEN PRINT "Your victim is badly wounded" :: RETURN 10 FRINT "You killed your victim" 10 PRINT "You killed your victim" 10 PRINT "I I I I I I I I I I I I I I I I I I I</pre>
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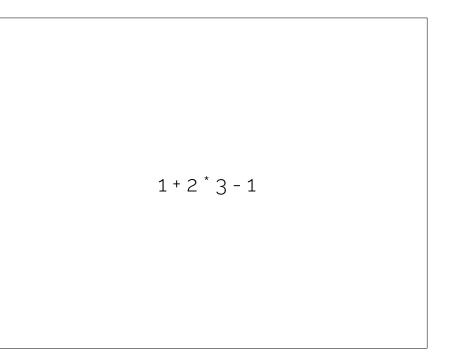




+ Equations	full pad »														
Basic (Linear) Solve For	x ²	x ^{II}	\log_{\Box}	$\sqrt{\Box}$	Vo	\leq	\geq	0		+	x	π			
Quadratic	(¤) [′]	$\frac{d}{dx}$	$\frac{\partial}{\partial x}$	ſ	\int_{Ω}^{Ω}	lim	Σ	00	θ	$(f \circ g)$	H_2O	$\begin{pmatrix} 0 & \cdots & 0 \\ 1 & \ddots & 1 \\ 0 & \cdots & 0 \end{pmatrix}$			
Rational Biquadratic															
Polynomial Radical Logarithmic	Graph »	Examp	les »									⊜ €			
Exponential Absolute	Solution									K	Ceep Pi	acticing >			
Complex (new) Matrix (new) Roots (new) Rational Roots (new)	5x - 6 Steps 5x - 6	;	: x=	-1							w Step	\$			
 Inequalities 		to both s + $6 = 3$	ides - 8 + 6												
 System of Equations 	Simplif														
System of Inequalities	5x = 3x	- 2													
Basic Operations	Subtra 5x — 3x		m both s 2 – 3x	ides											
 Algebraic Properties 	Simplif	y													
Partial Fractions	2x = -	2													
 Polynomials 	Divide $\frac{2x}{2} = -$	both sid	es by 2												
Rational Expressions	-														
 Sequences 	Simplif x = -1														
	click he	re to pro	ctice line	ar equat	ions »										

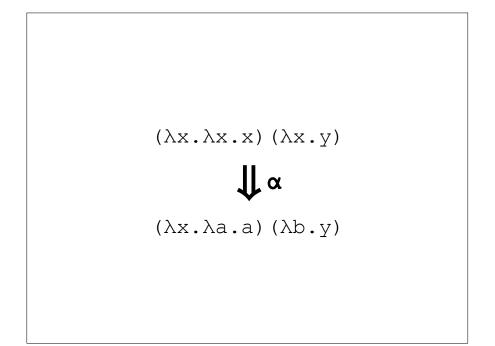






(λx.λx.x) (λx.y)

(λχ.λχ.χ) (λχ.γ) **↓**α



Goal: alpha-normal form

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1. No bound variable uses the same name as any free variable.

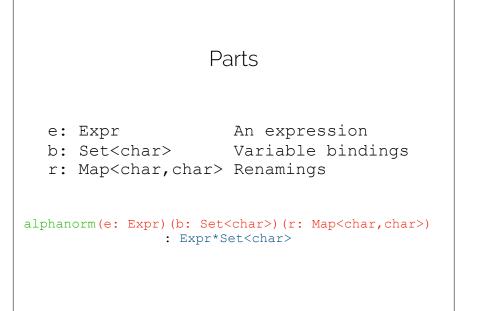
Goal: alpha-normal form

- 1. No bound variable uses the same name as any free variable.
- 2. No bound variable uses the same name as any other bound variable.

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- 2. No bound variable uses the same name as any other bound variable.

In other words, all variable names are unique.



What is passed in; returned

What is passed in; returned

Note that we want the set of bindings to persist, therefore it is both *passed in* and *out*.

What is passed in; returned	Algorithm
<pre>alphanorm(e: Expr)(b: Set<char>)(r: Map<char, char="">)</char,></char></pre>	
Note that we want the set of bindings to persist, therefore it is both <i>passed in</i> and <i>out</i> .	
But the set of renamings is <i>scoped</i> : it is only passed in.	

Var(v):

Algorithm

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if there is a renaming rule, rename and return renamed Var;

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if v is already bound, add renaming rule, α -norm e, then return Abs(v', e');

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